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ABSTRACT

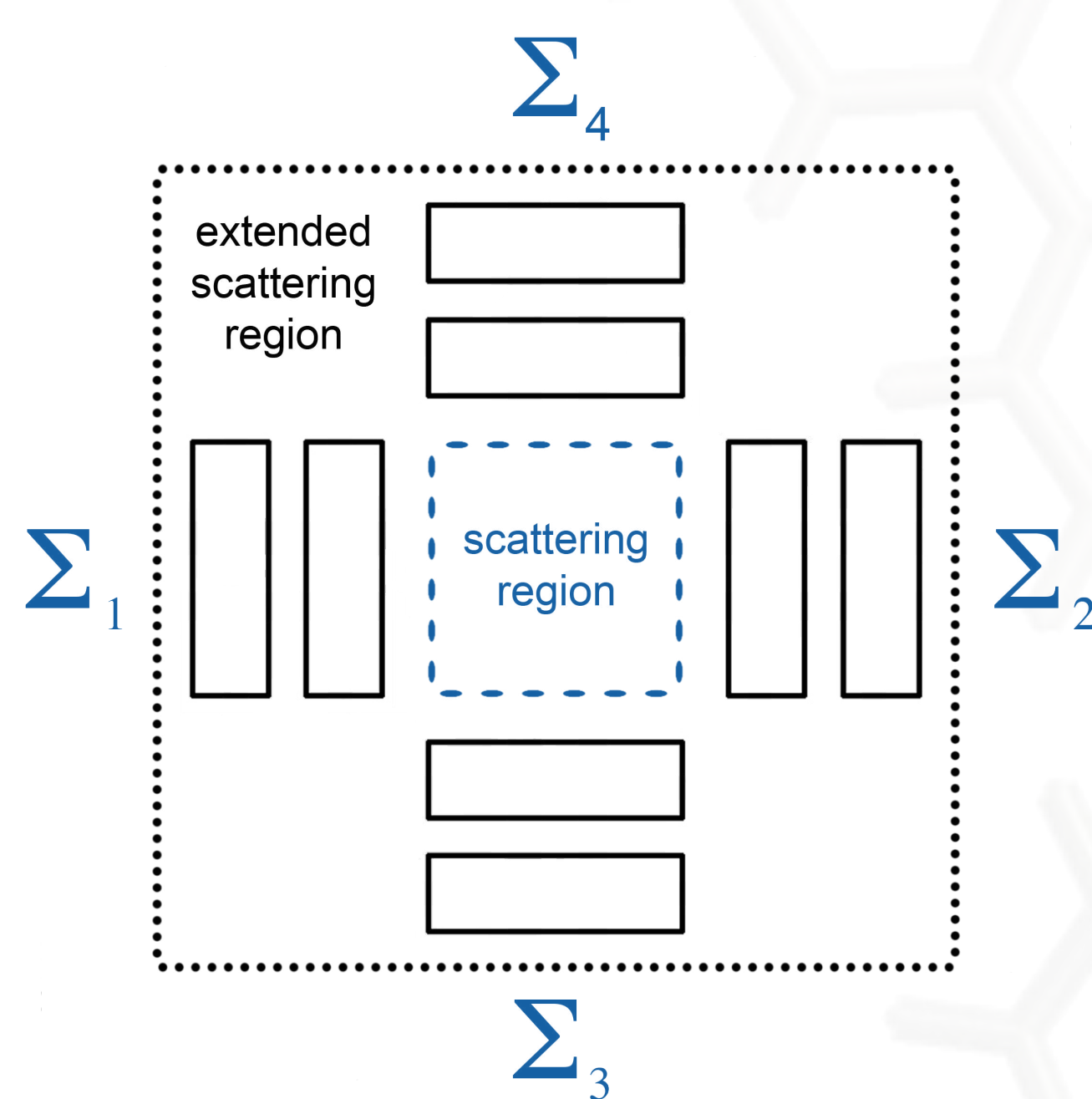
With the aim of exploring the potential of graphene in electronics, a lot of effort has been spent on the energy-gap engineering so to allow having an off state. Recently, it has been reported theoretically a **current switching mechanism by voltage control** in a graphene crossbar made by two 14-armchair nanoribbons (GNRs) rotated by 90° [1].

It has been also recently shown that different stacking in bilayer GNRs leads to significant changes on the electronic properties [2]. Therefore, in order to investigate the possibilities of using crossed GNRs as ON/OFF devices, we have studied the **electronic and transport properties** of those systems **as function of their relative rotation angle and inter-layer distance**.

Our calculations were performed with **TranSIESTA** code [3], which has been recently generalized, based on ref. [4], to consider **$N \geq 1$ arbitrarily distributed electrodes at finite bias** [5].

METHODOLOGY

NEGF + DFT



$$\begin{pmatrix} \bar{H}_1 & 0 & \bar{H}_{1M} & 0 & 0 \\ 0 & \bar{H}_3 & \bar{H}_{3M} & 0 & 0 \\ \bar{H}_{M1} & \bar{H}_{M3} & \bar{H}_M & \bar{H}_{M4} & \bar{H}_{M2} \\ 0 & 0 & \bar{H}_{4M} & \bar{H}_4 & 0 \\ 0 & 0 & \bar{H}_{2M} & 0 & \bar{H}_2 \end{pmatrix} G^r = \mathbb{1}$$

where $\bar{H}_x = \varepsilon S_x - H_x$ with $\varepsilon = \lim_{\eta \rightarrow 0^+} E + i\eta$.

$$G_M^r = \left[\varepsilon S_M - H_M - \sum_j \Sigma_j^r \right]^{-1}$$

→ density dependent Hamiltonian:

$$\rho = \frac{1}{2\pi i} \int_{-\infty}^{+\infty} d\varepsilon G_M^< = \frac{1}{2\pi} \int_{-\infty}^{+\infty} d\varepsilon G_M^r \left[\sum_j \Gamma_j f(\varepsilon - \mu_j) \right] G_M^a$$

where $\Gamma_j = i[\Sigma_j^< - \Sigma_j^>]$, $f(\varepsilon - \mu_j) = f_j$ the Fermi-Dirac distribution.

$$G_M^r(\varepsilon, H_M) \longrightarrow \rho(H_M) \xrightarrow{\text{Kohn-Sham}} H_M(\rho)$$

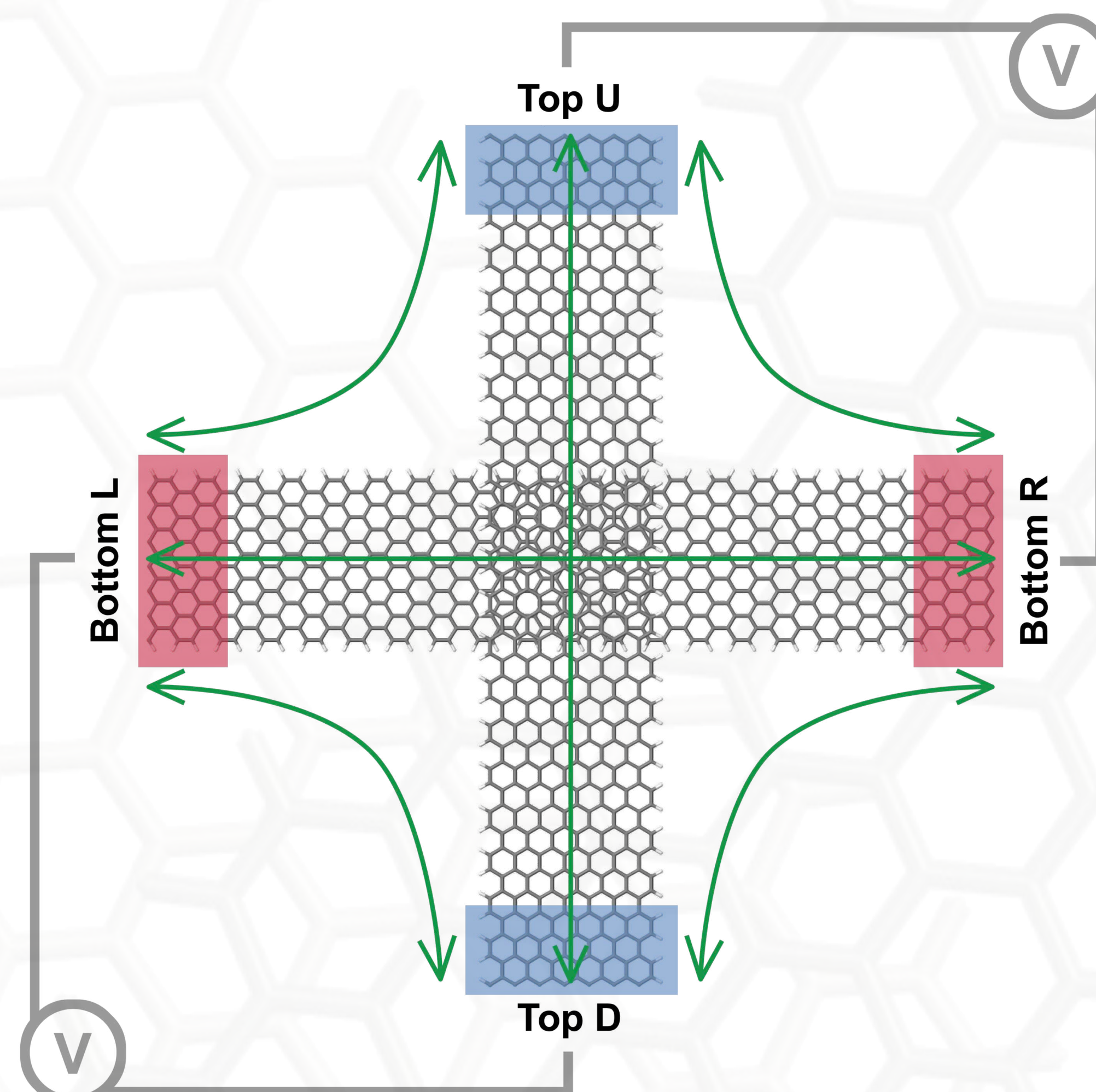
$$V_H(\mathbf{r}) = \tilde{\phi}(\mathbf{r}) + \begin{cases} \mu_j, & \text{for } \mathbf{r} \in \mathbf{r}_j \\ 0, & \text{for } \mathbf{r} \notin \mathbf{r}_j \end{cases}$$

→ current (Büttiker-Landauer):

$$I_j = \frac{2e}{h} \sum_{j'} \int_{-\infty}^{+\infty} d\varepsilon \text{Tr} \left[\Gamma_j G_M^r \dagger \Gamma_{j'} G_M^r \right] (f_j - f_{j'})$$

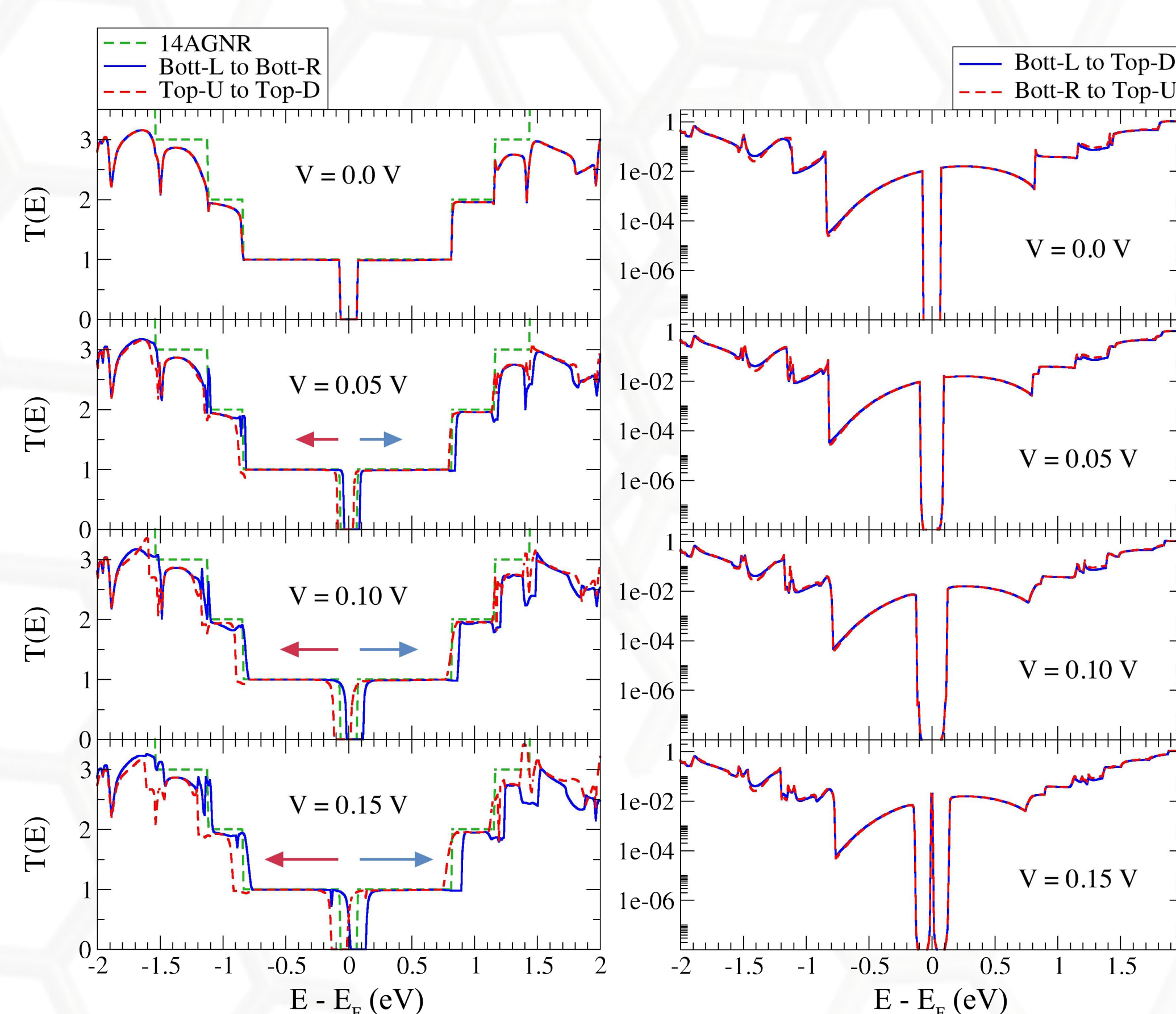
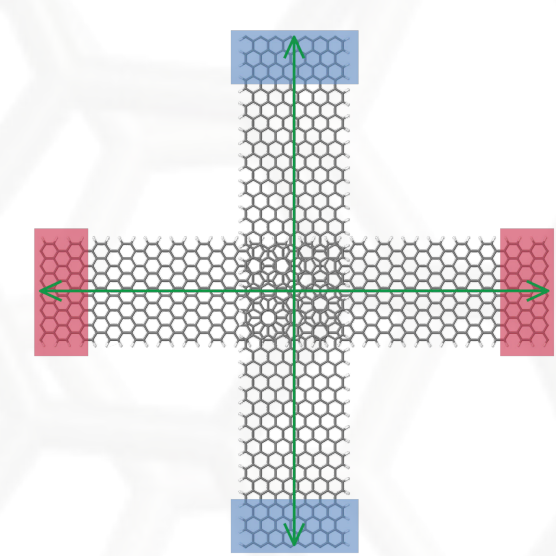
transmission

RESULTS

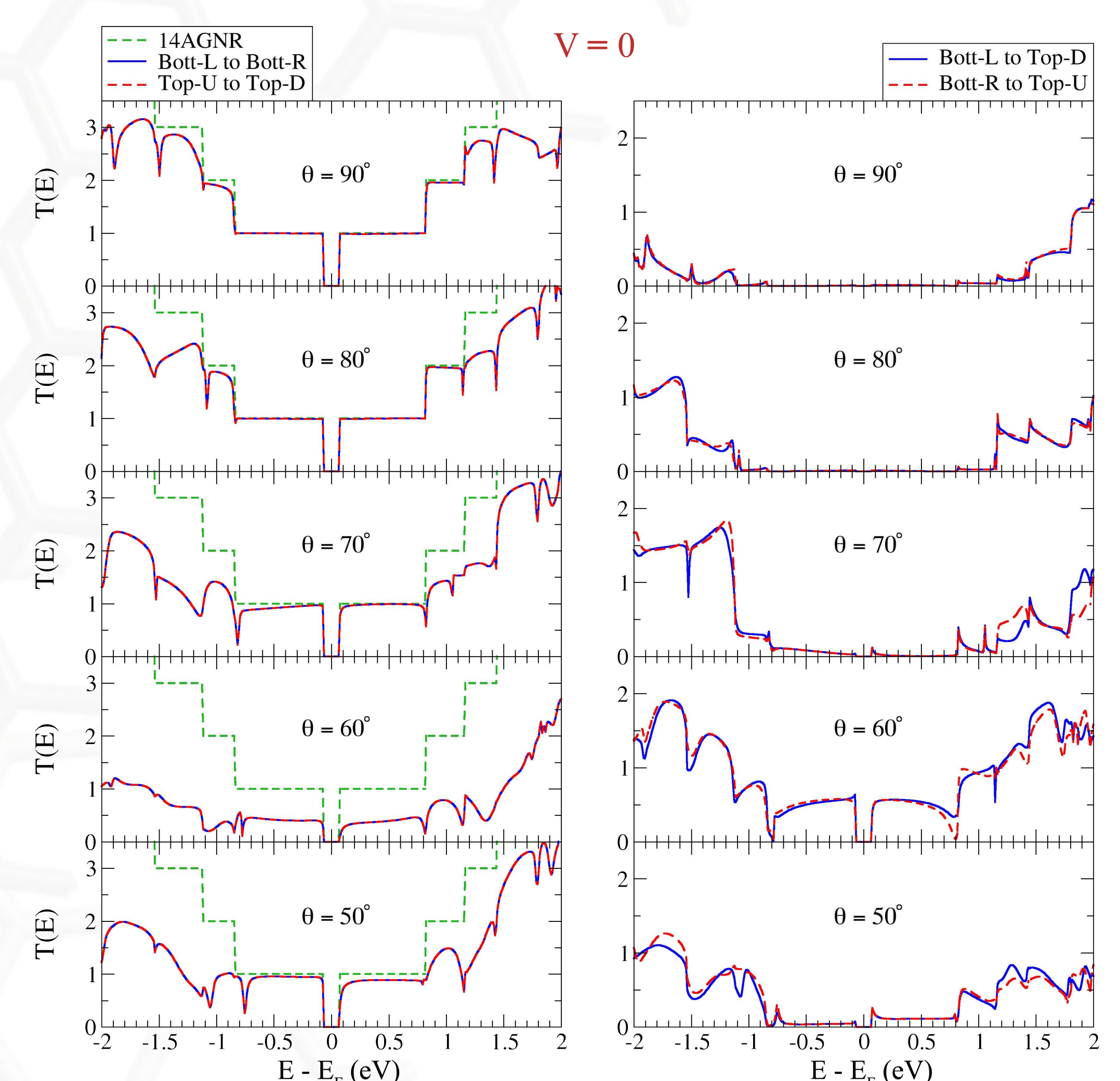
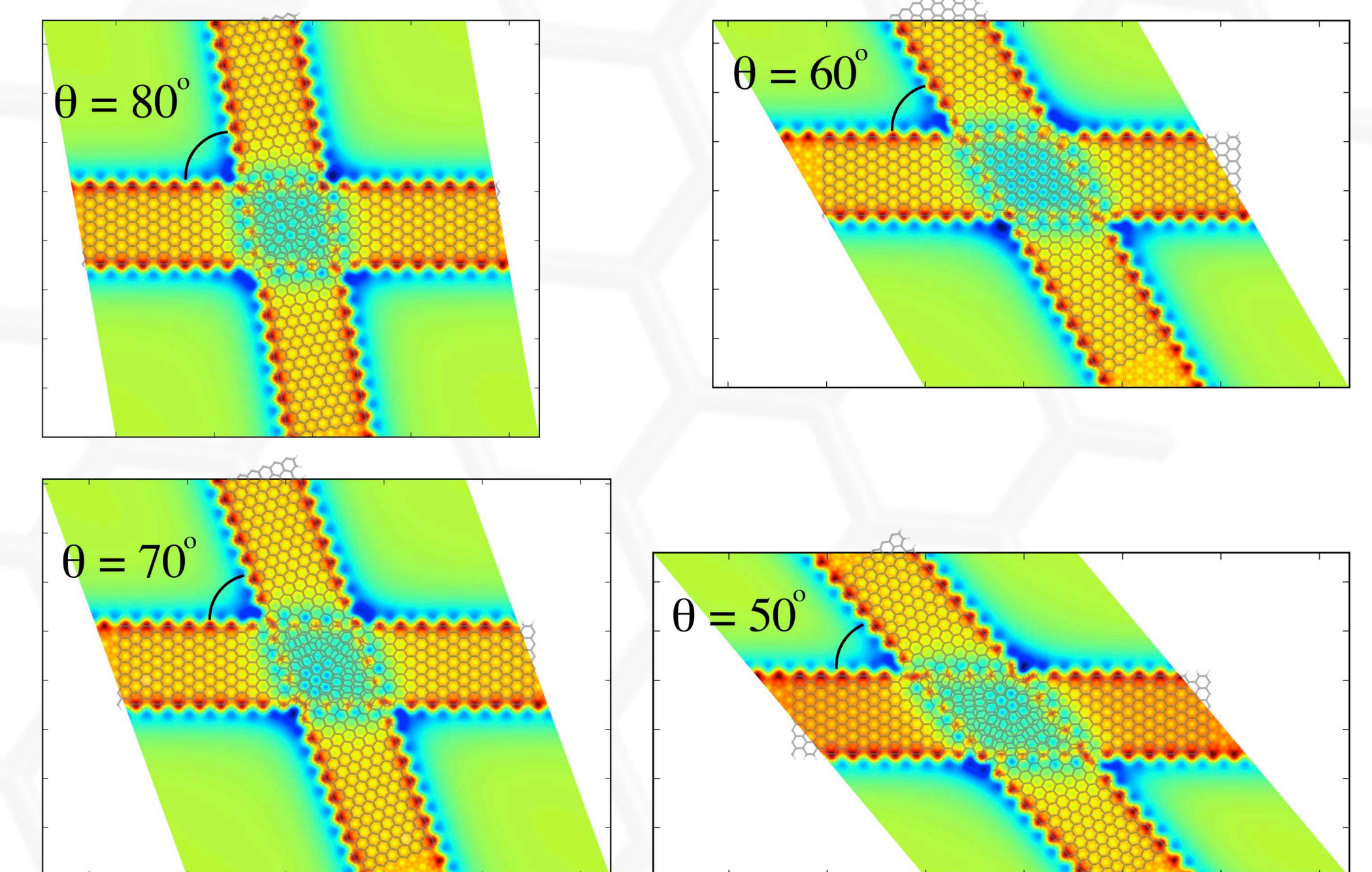
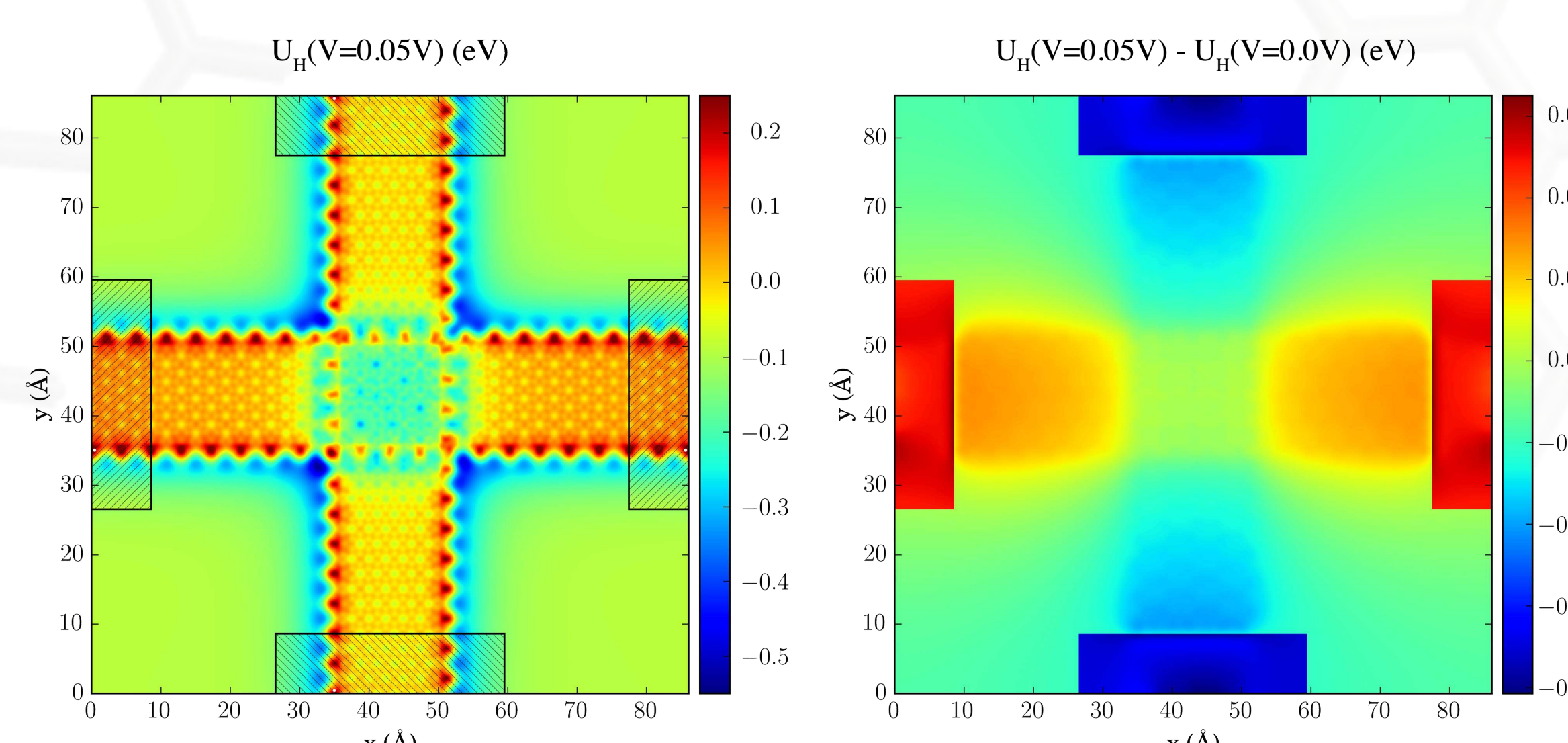


Simulation characteristics:

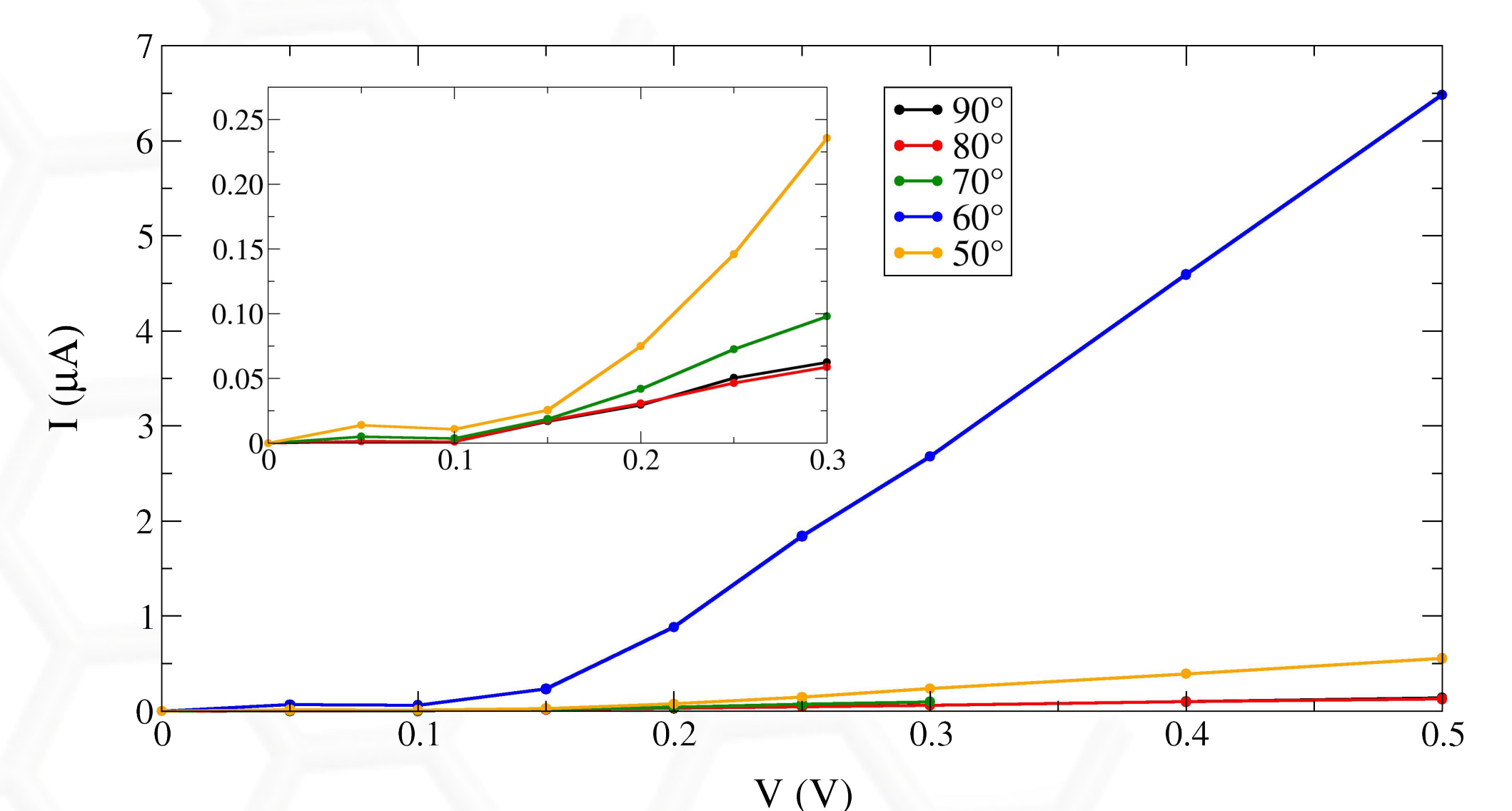
- 1280 atoms;
- double- ζ (9280 orbitals);
- vdW (optB88);
- real space grid cutoff: 350 Ry;
- forces < 5 meV/Å;
- interlayer distance: 3.34 Å (lowest energy).



Electrostatic potential at the plane between the ribbons for $V = 0.05$ V



Bottom-Left to Top-Down



CONCLUSIONS

We find that the transmission along each individual GNR and among them **strongly depends on the stacking**. For a 60° rotation angle, one finds an almost perfect match of the ribbons' honeycomb lattice in the crossing region, resulting in a strong scattering effect that also translates into an increased inter-layer transmission.

REFERENCES

- [1] K. M. Masum Habib and Roger K. Lake. *Phys. Rev. B* **86**, 045418 (2012).
- [2] H. Santos, A. Ayuela, L. Chico, and Emilio Artacho. *Phys. Rev. B* **85**, 245430 (2012).
- [3] Mads Brandbyge, José-Luis Mozos, Pablo Ordejón, Jeremy Taylor, and Kurt Stokbro. *Phys. Rev. B* **65**, 165401 (2002).
- [4] Kamal K. Saha and Wenchang Lu and J. Bernholc and Vincent Meunier. *J. Chem. Phys.* **131**, 164105 (2009).
- [5] Nick R. Papior. *In preparation* (2015).

ACKNOWLEDGEMENTS

